

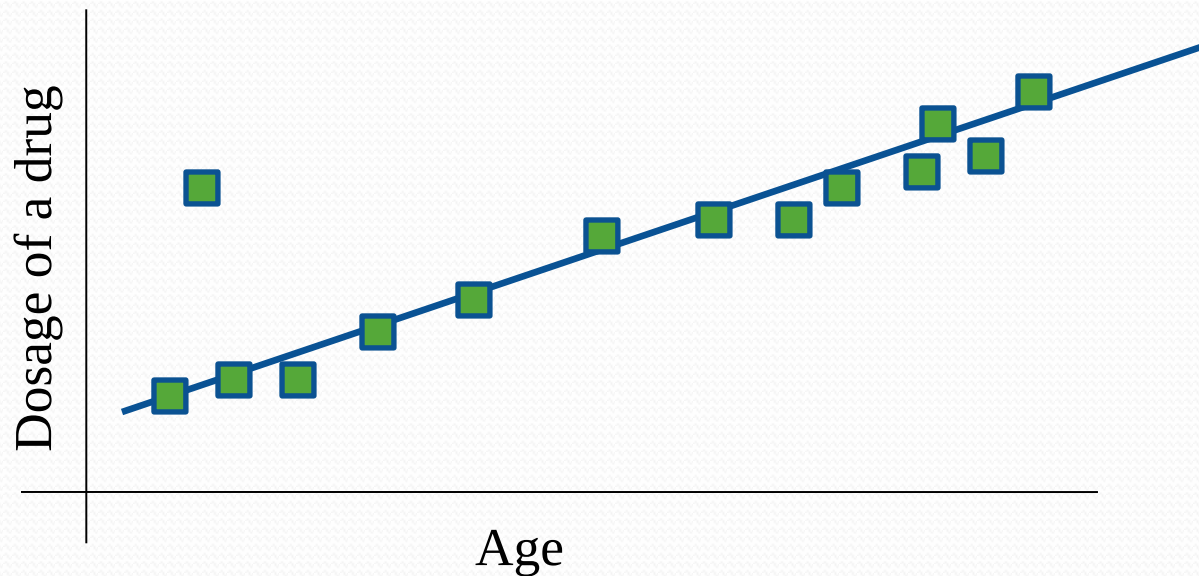
Distance Metric Learning for Conditional Anomaly Detection

Michal Valko, Milos Hauskrecht

Anomaly Detection

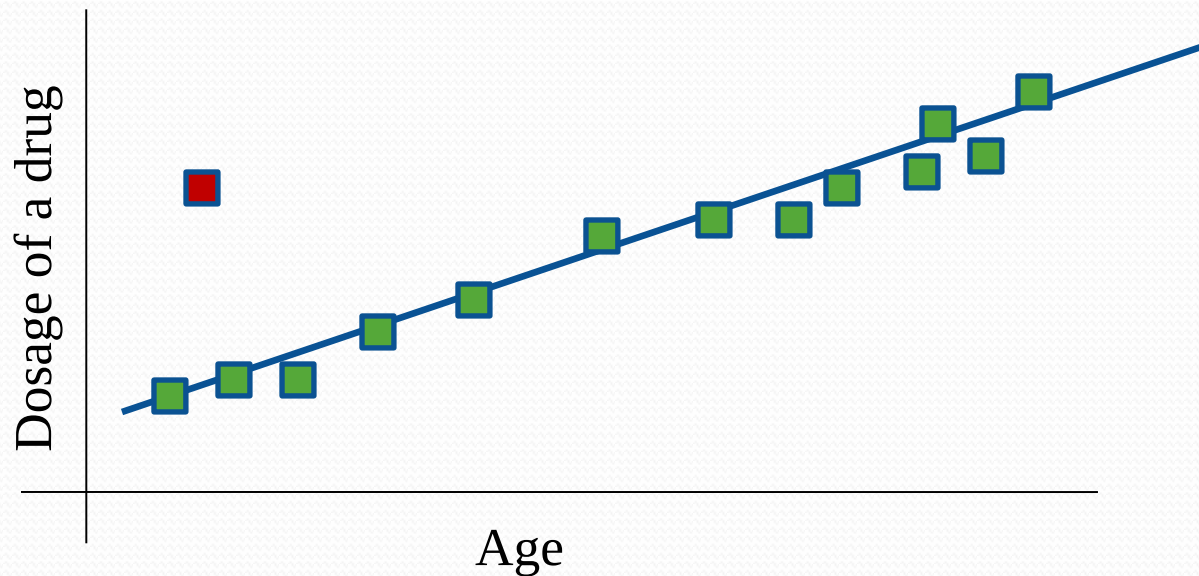
- **Goal:** Identify unusual patterns in data.
- **Methods:** from statistics and machine learning
- **Contribution:** conditional anomaly detection framework
- **Application:** medical error detection

Conditional Anomaly



- **Patient electronic records** have: demographics, conditions, labs, medications administered, procedures performed,...

Conditional Anomaly



Assumption: Anomalies correspond to medical errors

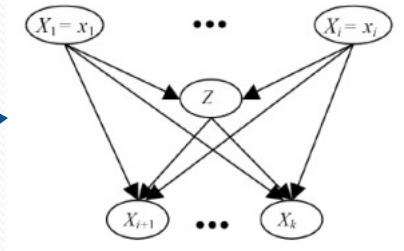
*“Medical errors account for 200 000 **preventable** deaths a year. “*

(HealthGrades study, Wall Street Journal, July 27th 2004)

Medical Database



Group of similar patients



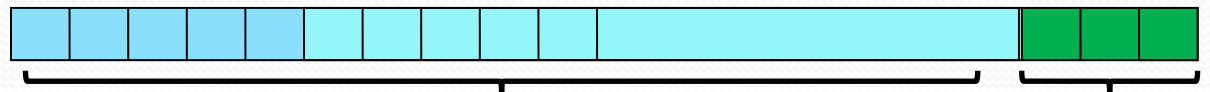
Model

$$P(\text{Decisions} \mid \text{Description}, \text{Model}) < \alpha ?$$

Anomaly Call



Current patient record

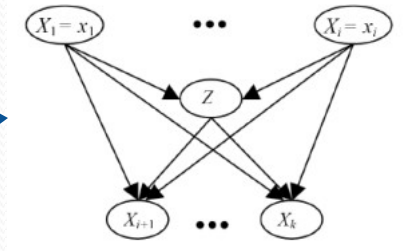


Description (Context) + Decision(s)

Medical Database



Group of similar patients



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Anomaly Call



Current patient record



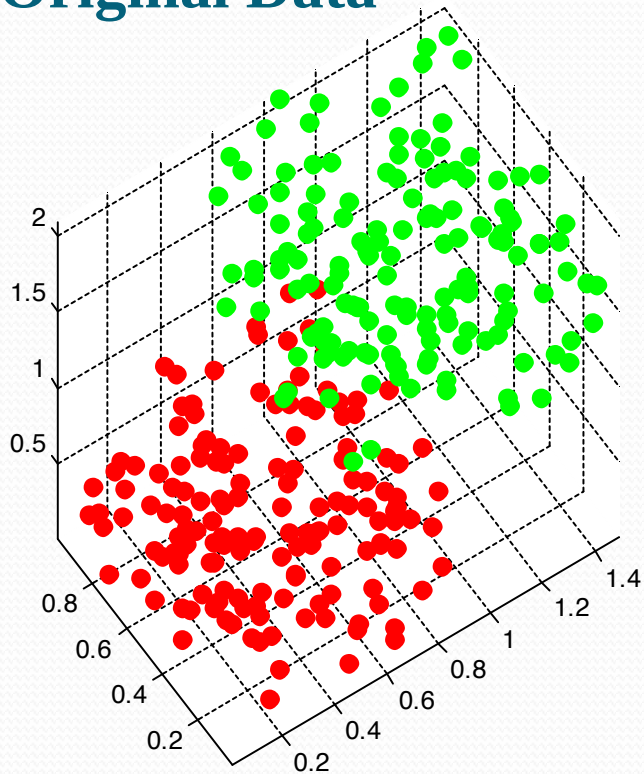
Description (Context) + Decision(s)

Selecting Similar Patients

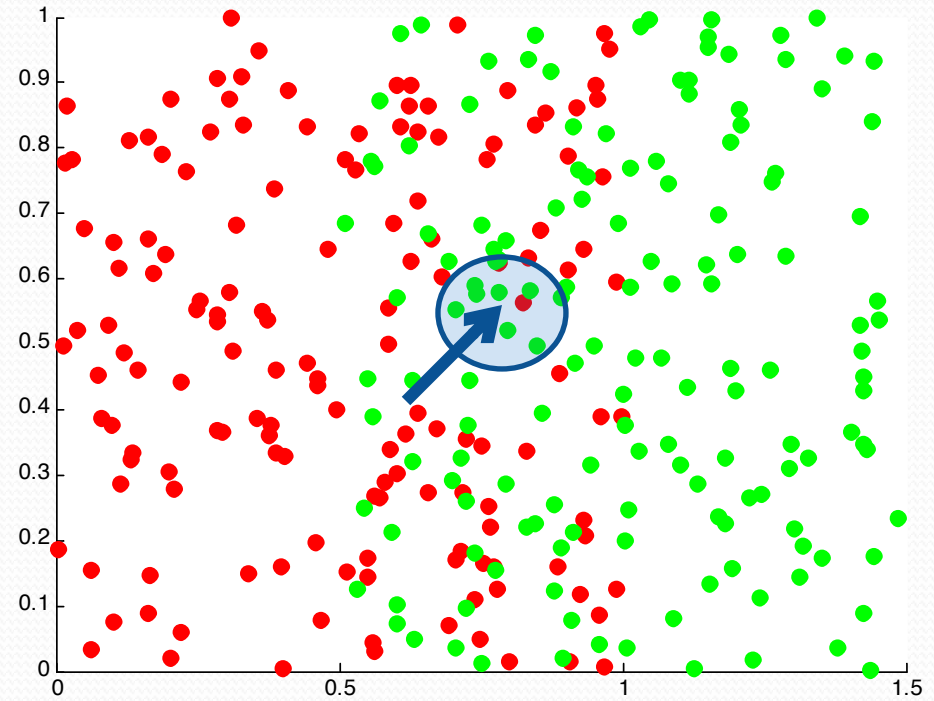
- All other patients in the database
- Select only the closest patients
- What is a good distance metric?
 - Euclidean, Mahalanobis ...
 - don't take into the account the decision variables
- Learn the metric which puts patients with the similar decisions closer together.

Neighborhood Component Analysis

Original Data

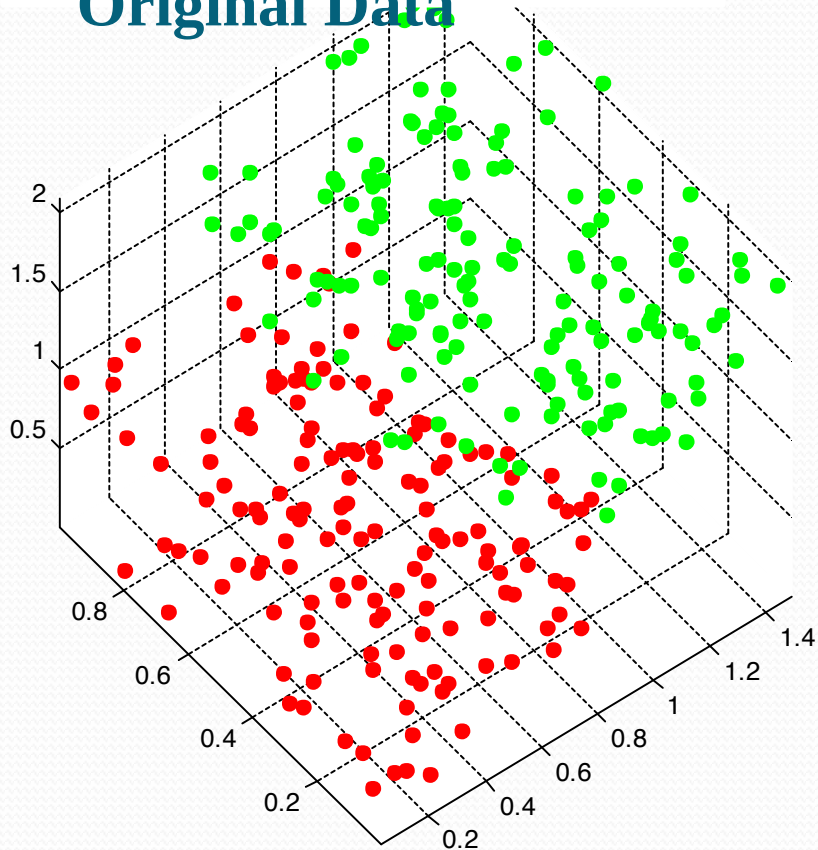


Initial Linear Projection



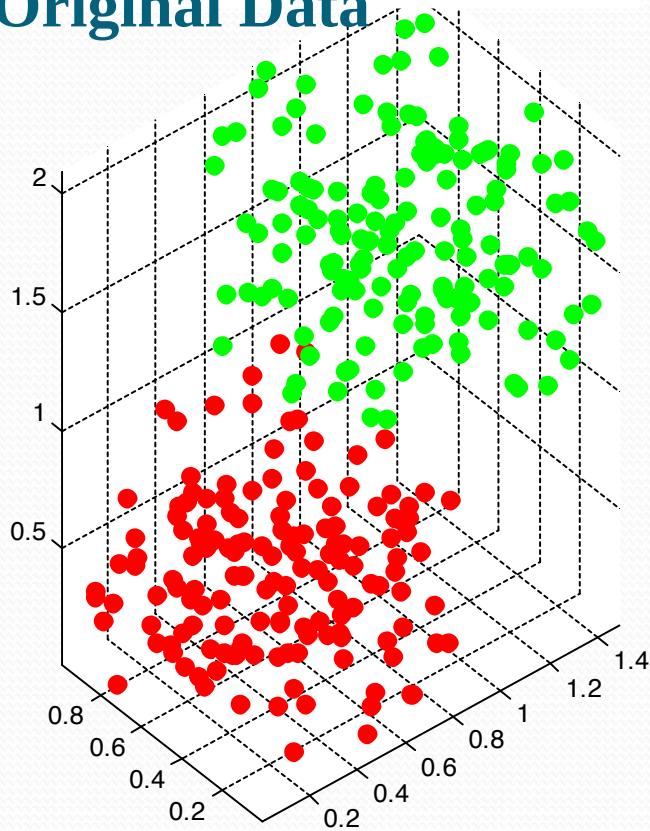
Neighborhood Component Analysis

Original Data



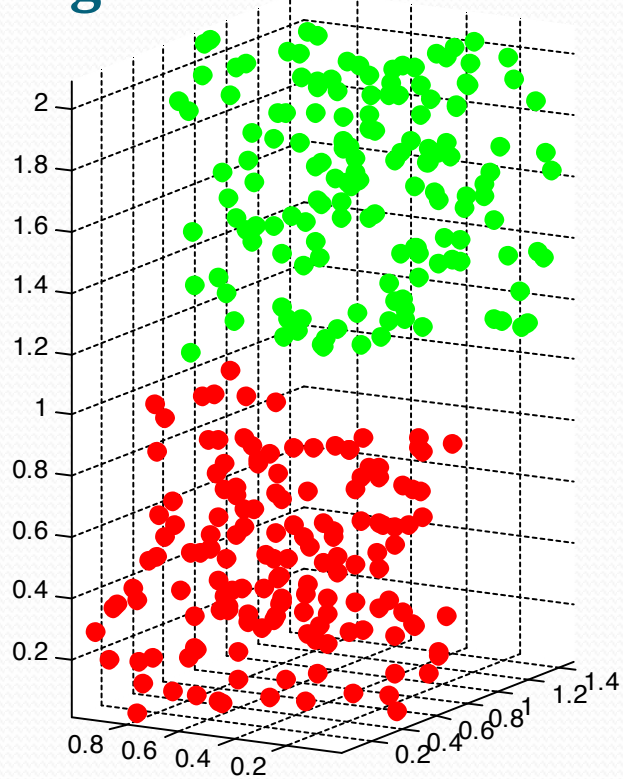
Neighborhood Component Analysis

Original Data

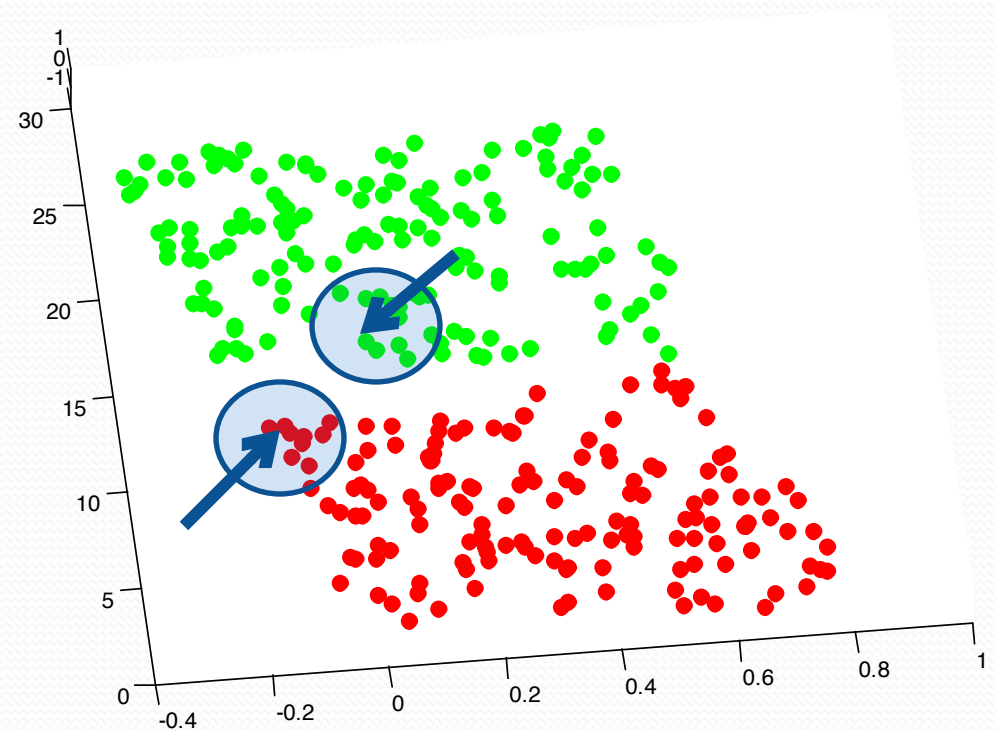


Neighborhood Component Analysis

Original Data



Learned Linear Projection



Neighborhood Component Analysis

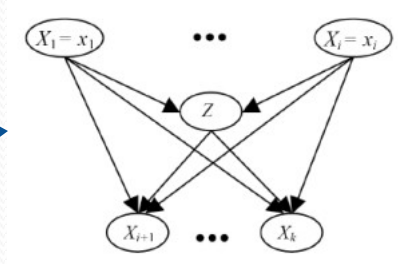
$$p_{ij} = \frac{\exp(-\|Ax_i - Ax_j\|^2)}{\sum_{k \neq i} \exp(-\|Ax_i - Ax_k\|^2)}, \quad p_{ii} = 0$$

$$f(A) = \sum_i \sum_{j \in C_i} p_{ij}$$

Medical Database



Group of similar patients



Model

$$P(\text{Decisions} \mid \text{Description}, \text{Model}) < \alpha ?$$

Anomaly Call



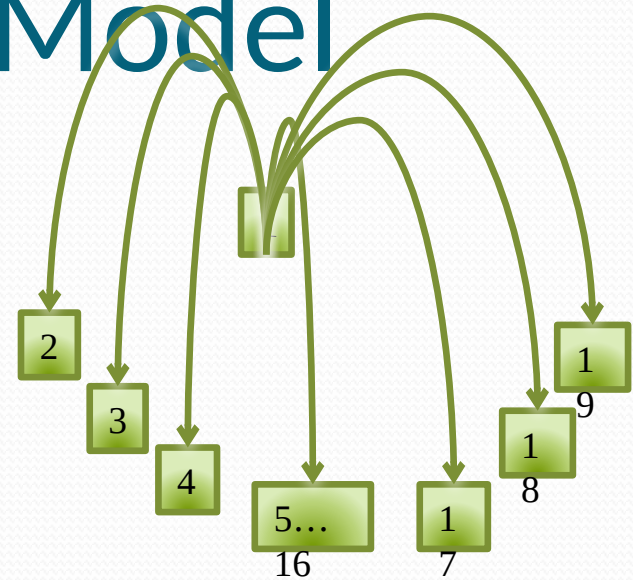
Current patient record



Description (Context) + Decision(s)

Learn Probabilistic Model

- Bayesian Network



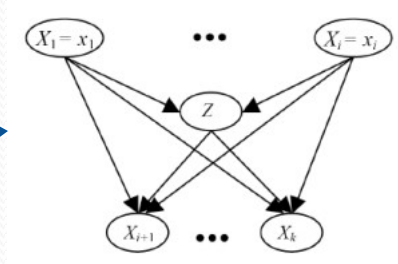
- Get the probabilities from the metric

$$p_{ij} = \frac{\exp(-\|Ax_i - Ax_j\|^2)}{\sum_{k \neq i} \exp(-\|Ax_i - Ax_k\|^2)}, \quad p_{ii} = 0$$

Medical Database



Group of similar patients



Model

$P(\text{Decisions} \mid \text{Description}, \text{Model}) < \alpha ?$

Anomaly Call



Current patient record



Description (Contex) + Decision(s)

Experiments

- PORT dataset (Kapoor 1996)
- Patients diagnosed with the community acquired **pneumonia**

Target attributes	
X_1	Hospitalization

Prediction attributes	
Demographic factors	
X_2	Age > 50
X_3	Gender (male = true, female = false)
Coexisting illnesses	
X_4	Congestive heart failure
X_5	Cerebrovascular disease
X_6	Neoplastic disease
X_7	Renal disease
X_8	Liver disease
Physical-examination findings	
X_9	Pulse ≥ 125 / min
X_{10}	Respiratory rate ≥ 30 / min
X_{11}	Systolic blood pressure < 90 mm Hg
X_{12}	Temperature < 35 °C or ≥ 40 °C
Laboratory and radiographic findings	
X_{13}	Blood urea nitrogen ≥ 30 mg / dl
X_{14}	Glucose ≥ 250 mg / dl
X_{15}	Hematocrit < 30%
X_{16}	Sodium < 130 mmol / l
X_{17}	Partial pressure of arterial oxygen < 60 mm Hg
X_{18}	Arterial pH < 7.35
X_{19}	Pleural effusion

Experiments

- 2287 patient cases
- 19 binary attributes
- 100 evaluated by the panel of three physicians
- 23 anomalies

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Experiments

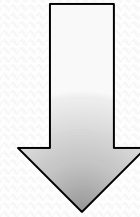
- Goal: Detect whether the decision of hospitalization is *anomalous*, **conditioning** on the description variables

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Evaluation

- Algorithm catches many anomalies
 - high sensitivity
- Algorithm's predictions are accurate
 - high specificity
- Combine sensitivity and specificity for various detection thresholds to ROC
- **Specificity $\geq 95\%$**
(at most **1** false alarm in **20** normal cases)

Results



MODEL	METRIC	SELECTION	RESULT	
Naïve Bayes	any	ALL	11.6%	BASELIN
	Euclidean	CLOSEST 40	16.4%	E
	Learned Metric	CLOSEST 40	16.8%	
Probability from the Distance Metric	Euclidean	ALL	8.0%	
	Euclidean	CLOSEST 40	8.0%	
	Learned Metric	ALL	18.0%	
	Learned Metric	CLOSEST 40	20.2%	BES T

Conclusion: Two-fold improvement over baseline.

Conclusion

- Selection of closest patients
 - Models tuned to the individual patient
- Metric learning
 - Lowers the influence of irrelevant data
- Decision probabilities from the distance metric
 - Viable alternative to the Bayes Networks
 - Is more sensitive to the metric as the Naïve Bayes

Current/Future Work

- Use structure learning for Bayesian networks
- Automatic population size selection
- Multiple decisions
- UPMC dataset of patients with cardiac surgery with **thousands** of records per patient
- Anomaly detection in time.



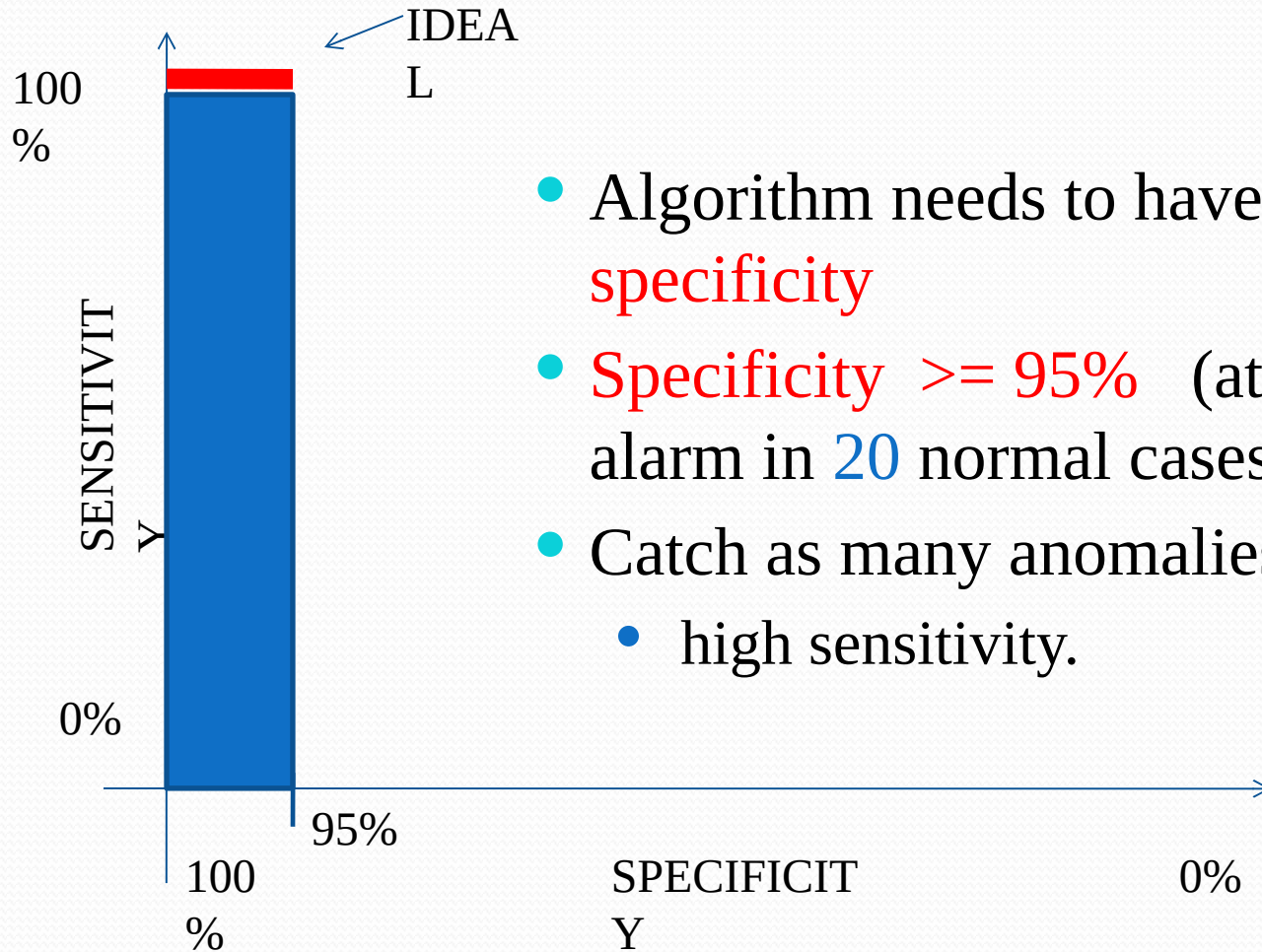


Neighborhood Component Analysis

$$\|Ax_i - Ax_j\|^2$$

$$\sum_{j \in C_i} p_{ij}$$

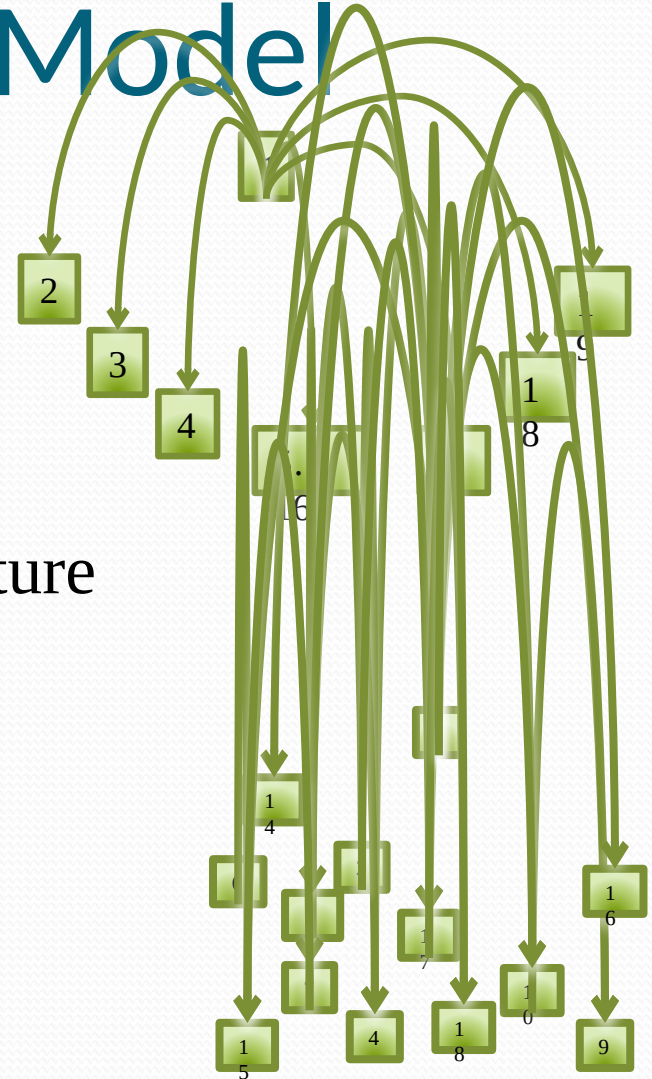
Evaluation



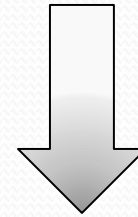
- Algorithm needs to have high **specificity**
- **Specificity $\geq 95\%$** (at most **1** false alarm in **20** normal cases)
- Catch as many anomalies
 - high sensitivity.

Learn Probabilistic Model

- Bayesian Network with Fixed structure
- Learn the Bayesian Network structure and parameters from the data



Results

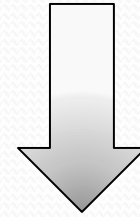


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	Euclidean	CLOSEST 40	17.8%	
	Learned Metric	CLOSEST 40	26.4%	BES

T

Conclusion: Two-fold improvement over baseline.

Results



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Conclusion: Two-fold improvement over baseline.